

UNNS Tetrad Operators: Expanded Reference Guide

UNNS Research Collective

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1 Summary Table

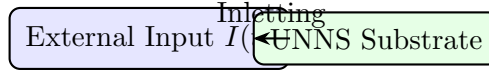
Operator	Definition	Analogy	Applications
Inletting	Injecting external inputs (signals, data, fields) into the UNNS substrate as seeds or forcing terms.	Boundary conditions in PDEs; regulatory signals initiating DNA transcription.	Modeling initial conditions, external forcing in dynamical systems, data-driven seeding of recurrences.
Inlaying	Embedding UNNS sequences into higher-order structures (lattices, meshes, algebraic or topological spaces).	Setting gemstones into jewelry; DNA packed into chromosomes.	Building discrete fields, embedding UNNS into FEEC/DEC meshes, constructing arithmetic lattices.
Repair & Normalization	Stability operations (proofreading, excision, renormalization) that maintain boundedness and coherence of sequences.	DNA repair mechanisms: mismatch correction, excision repair, rescaling by global fitness.	Ensuring numerical stability, error control in recursive algorithms, conservation in discrete physics models.
Trans-Sentifying	Mapping UNNS invariants into perceptual or symbolic domains (images, sounds, language).	Retina: photons \rightarrow vision; cochlea: sound \rightarrow hearing.	Data visualization, sonification of recursions, symbolic export to human/machine interpreters.

2 Inletting

Definition 2.1 (Inletting). *Inletting is the operation that maps external signals into the UNNS substrate, either as initial seeds or as ongoing forcing terms:*

$$I(t) \mapsto \mathcal{U}_0.$$

Example 2.1 (Fibonacci inletting). *Let $I(t) = \{1, 1\}$. Inletting initializes the Fibonacci UNNS: $a_0 = 1, a_1 = 1$, with recurrence $a_{n+2} = a_{n+1} + a_n$.*



Remark 2.1. *Inletting governs the interface between UNNS and the environment. Like initial conditions in PDEs, it determines long-term evolution.*

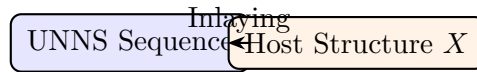
3 Inlaying

Definition 3.1 (Inlaying). *Inlaying embeds UNNS sequences into higher-order structures:*

$$\iota : \{a_n\} \hookrightarrow X,$$

where X is a lattice, mesh, or algebraic structure.

Example 3.1 (Gaussian embedding). *Fibonacci residues modulo 4 are inlaid into $\mathbb{Z}[i]$, creating patterns of Gaussian lattice points.*



4 Repair and Normalization

Definition 4.1 (Repair & normalization). *Repair corrects local inconsistencies, while normalization rescales globally to preserve boundedness:*

$$\frac{\max |a_n|}{\min |a_n|} < K,$$

for some constant K .

Example 4.1 (Proofreading repair). *If a computed Fibonacci term is corrupted (e.g. $a_5 = 7$ instead of 5), proofreading compares with the recurrence and corrects the mismatch.*

5 Trans–Sentifying

Definition 5.1 (Trans–sentifying). *Trans–sentifying maps UNNS invariants into perceptual or symbolic spaces:*

$$\mathcal{T} : \mathcal{U} \rightarrow \mathcal{S}.$$

Example 5.1 (Audio mapping). *The spectral radius λ of a UNNS companion matrix is mapped to a pitch $f = f_0|\lambda|$, producing a sonification.*